

**Dr. Mahalingam College of Engineering and Technology, Pollachi-3**

(An Autonomous Institution affiliated to Anna University)

**RETEST (2016 Regulation)**Name of Programme: **B.E - EEE**Course Code & Course Title: **16EET44 – Networks and Signals**

Sem: IV Date &amp; Session: 09.04.2018 Duration: 1½ hours Max. Marks: 50

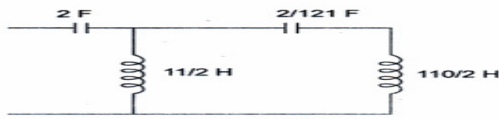
<b>Part- A Objective Questions (10X1=10 Marks)</b>			
Q. No	Question	CO No	Blooms Level
1	c) Multiplication	CO1	R
2	b) $(8/3) \Omega$	CO1	U
3	c) on $j\omega$ axis	CO2	R
4	a) pole at $\omega = 0$	CO2	U
5	True	CO3	R
6	Band stop filter	CO3	U
7	b) Convolution	CO4	U
8	a) $y[n] = x[n-k]$	CO4	U
9	b) data on a CD	CO4	U
10	d) Integration	CO4	U

<b>Part- B Short Answer Questions (5X2=10 Marks)</b>			
Q. No	Question	CO No	Blooms Level
11	List the uses of lattice network? <ul style="list-style-type: none"> <li>➤ Lattice networks are used in filter sections and are also used as attenuators filter and attenuators.</li> <li>➤ Lattice structures are sometimes used in preference to ladder structures in some special applications.</li> </ul>	CO1	R
12	List the properties of RL Driving point function.	CO2	R

	<ul style="list-style-type: none"> <li>➤ The Poles and Zeros of the RL driving point impedance function are located on the negative real axis of the s-plane.</li> <li>➤ Poles and zeros alternate along the negative real axis</li> <li>➤ The singularity at the origin or <math>s=0</math> is a zero</li> <li>➤ The singularity at <math>s=\infty</math> is a pole</li> <li>➤ The slope of the impedance curve is positive</li> <li>➤ The impedance at <math>s=\infty</math> is always greater than the impedance at <math>\omega = 0</math></li> <li>➤ The residues at the poles of <math>Z(s)</math> are real and negative. The residues of <math>Z(s)/s</math> are real and positive</li> </ul>		
13	<p>Check whether <math>Z(s) = (S+3)/(S+2)</math> is a positive real function.</p> <p>1. Function <math>Z(s)</math> has poles at <math>s=-2</math> and zero at <math>s=-3</math>. Thus the pole and zero are in the left half of the s plane</p> <p>2. There is no pole on the <math>j\omega</math> axis, hence residue test is not carried out</p> <p>3. <math>A(\omega^2) = m_1m_2 - n_1n_2/s=j\omega</math>  <math>= 3X1 - sXs/ s=j\omega</math>  <math>= 3+ \omega^2</math></p> <p><math>A(\omega^2) \geq 0</math> for all <math>\omega</math> Since all the conditions are satisfied. The function is positive real function</p>	CO2	U
14	<p>Find the frequency at which prototype <math>\pi</math>-section low pass filter having a cut-off frequency <math>f_c</math> has an attenuation of 20dB.</p> <p><math>\alpha = 20 \times 0.1151 = 2.23</math> Neper</p>	CO3	U

	$\alpha = \text{COSH}^{-1}(f/f_c)$ $f = 1.689 f_c$										
15	Find the auto correlation of $x(n)=\{1 \ 2 \ 1\}$ <table><tr><th><math>x(n)</math></th><th><math>x(-n)</math></th></tr><tr><td></td><td>1   2   1</td></tr><tr><td>1</td><td>1   2   1</td></tr><tr><td>2</td><td>2   4   2</td></tr><tr><td>1</td><td>1   2   1</td></tr></table> $\gamma_{xx}(n) = \{1, 4, 6, 4, 1\}$ 	$x(n)$	$x(-n)$		1   2   1	1	1   2   1	2	2   4   2	1	1   2   1
$x(n)$	$x(-n)$										
	1   2   1										
1	1   2   1										
2	2   4   2										
1	1   2   1										

<b>OR</b>			
<p><b>16.</b></p> <p><b>(b)</b></p>	<p>The driving point impedance of an network is given by</p> $Z(s) = \frac{10s^4 + 12s^2 + 1}{2s(s^2 + 1)}$ <p>Obtain first and second Cauer form.</p> <p><b>First Cauer Form: (7.5 M)</b></p> $\frac{2s^3 + 2s}{10s^4 + 10s^2} \cdot \frac{10s^4 + 12s^2 + 1}{2s^2 + 1} \cdot \frac{2s^3 + 2s}{2s^3 + s} \cdot \frac{s}{s^2 + 1} \cdot \frac{2s^2}{2s^2} \cdot \frac{1}{s} \cdot \frac{s}{0}$ <p>The circuit diagram for the First Cauer Form consists of a series inductor of 5 H, followed by a shunt capacitor of 1 F, then a series inductor of 2 H, and finally a shunt capacitor of 1 F. The input impedance is labeled Z(s).</p>	CO2	Ap
	<p><b>Second Cauer Form: (7.5M)</b></p> $\frac{2s + 2s^3}{11s^2 + 10s^4} \cdot \frac{1}{2s} \cdot \frac{1 + s^2}{11s^2 + 10s^4} \cdot \frac{2}{11s} \cdot \frac{2s + \frac{20s^3}{11}}{\frac{2s^3}{11} + 11s^2 + 10s^4} \cdot \frac{121}{2s} \cdot \frac{11s^2}{10s^4} \cdot \frac{2}{11} \cdot \frac{s^3}{110s} \cdot \frac{2}{11} \cdot \frac{s^3}{0}$		



17. Design an m derived low pass filter(T and  $\pi$  Section) if it has a design resistance of  $650\Omega$  with a cut off frequency of 1500Hz with infinite attenuation frequency of 2000Hz.

**Design of L and C ( 5 Marks)**

For low pass filter,  $L = \frac{K}{\pi f_c} = 0.138H$      $C = \frac{1}{\pi K f_c} = 0.327\mu F$

**Design of m: ( 2 Marks)**  $m = \sqrt{1 - \left(\frac{f_c}{f_{\infty}}\right)^2} = 0.66$

**Elements of modified low pass filter: (4 Marks)**

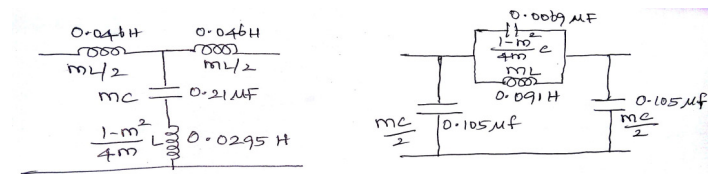
T section Elements are,  $mL/2 = 0.046H$  ,

$mC = 0.21\mu F$  ,  $(1-m^2/4m)L = 0.0295H$

$\pi$  section Elements are,  $mC/2 = 0.105\mu F$  ,

$mL = 0.091H$  ,  $(1-m^2/4m)C = 0.0069\mu F$

**m derived LP filter diagram: (4 Marks)**



OR

17. Find the linear convolution of the following using graphical and tabulation method.  $x(n) = \{1, 2, 3, 4\}$ ;  $h(n) = \{1, 4, 2, 1\}$

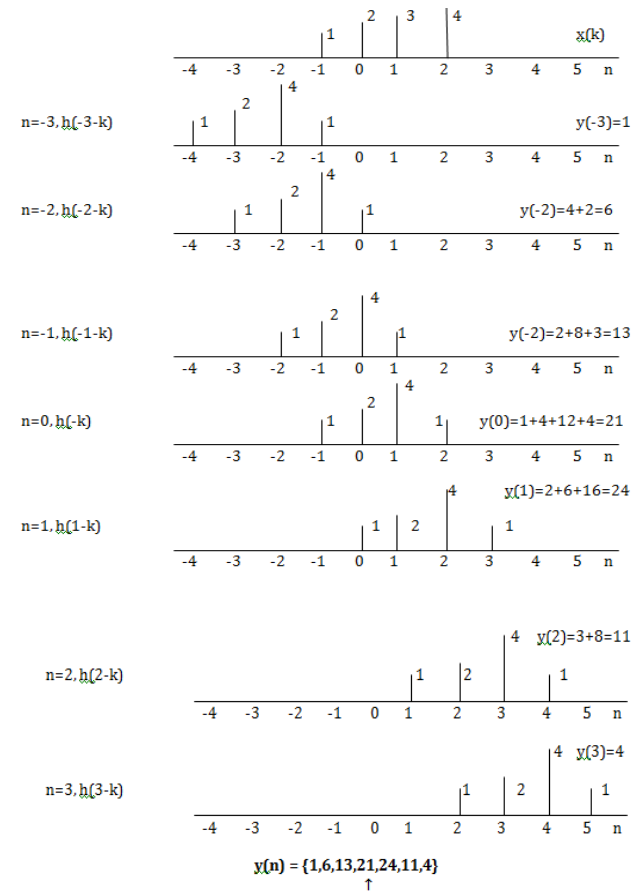
**i) Graphical Method: (7.5 M)**

$x(n)$  starts at  $n=-1$ ,  $h(n)$  starts at  $n=-2$ ,

Output  $y(n)$  starts at  $n=-1-2=-3$

No. of samples in  $y(n) = N1+N2-1=4+4-1=7$  Samples

$$y(n) = \sum_{k=-\infty}^{\infty} x(k)h(n-k)$$



**ii) Tabulation Method: (5 M)**

k	-4	-3	-2	-1	0	1	2	3	4	5
x(k)					1	2	3	4		
n=-3 h(-3-k)	1	2	4	1						
n=-2 h(-2-k)		1	2	4	1					
n=-1 h(-1-k)			1	2	4	1				
n=0 h(-k)				1	2	4	1			
n=1 h(1-k)					1	2	4	1		
n=2 h(2-k)						1	2	4	1	
n=3 h(3-k)							1	2	4	1

$y(n) = \{1, 6, 13, 21, 24, 11, 4\}$